Recent beam-beam observations

(... and some beam-beam basics)

reported by W. Herr

As discussed at special LMC ..

Key issues for $\mathcal{L} \geq 10^{32} \text{ cm}^{-2} \text{s}^{-1}$

High intensity

 $\blacksquare \textbf{Small} \ \epsilon$

Bunch trains

 $\blacksquare \text{ (smaller } \beta^*, \text{ not done/needed)}$

Can expect effects on beam-beam interactions ..

Expected effects on beam-beam interactions

	L	HO beam-beam	LR beam-beam
High Intensity	++	—	—
Small ϵ	++	—	+
Number bunches	++	Ο	—
(Smaller β^*	+	0	——)

Are changes sufficient to see the expected effects ?



(Prepared by G. Papotti BE-OP-LHC)

High luminosity, a bit too short (1410, not 1409)
 Losses "sorted" according to number of collisions
 Is 1% loss in 1 minute (beam 1) a problem ?



(Prepared by G. Papotti BE-OP-LHC)

\rightarrow Good fill, Luminosity above $1.2 \cdot 10^{32} \text{cm}^{-2} \text{s}^{-1}$

→ Beam 1 does not look too much different, but no bunches with very fast losses in beam 2





(Prepared by G. Papotti BE-OP-LHC)

► Good fill, Luminosity above $1.4 \cdot 10^{32} \text{cm}^{-2} \text{s}^{-1}$



(Prepared by G. Papotti BE-OP-LHC)

 \rightarrow Losses bunch by bunch (fill 1430)



(Prepared by G. Papotti BE-OP-LHC)

 \rightarrow Losses bunch by bunch (fill 1410)

Beam dump due to a few bunches with bad life time



B2 Fill 1410



(Prepared by T. Pieloni BE-ABP)

\rightarrow Losses bunch by bunch beam 2 (fill 1410)

Losses as identified on Giulia's first plot



B1 Fill 1410



(Prepared by T. Pieloni BE-ABP)

Losses bunch by bunch beam 1 (fill 1410)

Recent fills ...

- Clear correlation between losses and number of head-on collisions (beam-beam not only academic)
- Total tune shift (3 collisions) ≈ 0.02 (assuming: 1.0 - 1.2 ·10¹¹, ε_n ≈ 1.8 - 2.2µm)
 Can we understand the losses ?
 Directly related to beam-beam tune shift ?
 Are the long range contributions important ?
 Need to respond to some questions/comments I got since 24.9. 8:33 a.m.

Beam-beam tune shifts - where do they come from ?

Head-on tune shifts

Depend on: $N, \epsilon_n, [\alpha, \sigma_s]$

Long range tune shifts

Depend on: $N, \epsilon_n, \beta^*, \alpha, n_{lr}$ (number of bunches)





Head-on tune shift

For round beams like LHC:

 $\Delta \mathbf{Q}_{ho} \propto \xi = \frac{Nr_0\beta^*}{4\pi\gamma\sigma^2}$ $\Rightarrow \Delta \mathbf{Q}_{ho} \propto \xi = \frac{Nr_0}{4\pi\epsilon_n} = \frac{r_0}{4\pi} \cdot \frac{N}{\epsilon_n}$ Remark: $\Delta \mathbf{Q}_{ho} \neq \xi$! (depends on phase advance between IPs, for LHC tunes $\Delta \mathbf{Q}_{ho} \approx \xi$)
Is changed by (net) crossing angle: reduced in plane of crossing (depends on $\alpha_{net}, \sigma, \sigma_s$)

$$S = \frac{1}{\sqrt{1 + (\frac{\sigma_s}{\sigma} \tan \frac{\alpha_{net}}{2})^2}} \approx \frac{1}{\sqrt{1 + (\frac{\sigma_s}{\sigma} \frac{\alpha_{net}}{2})^2}}$$

Geometry of long range interactions



Normalised separation: d_{sep} = Δx/σ = Δx(s)/σ(s)
 Tune shift: ΔQ_{lr} ∝ 1/d²_{sep}
 We want a large separation d_{sep}

Geometry of long range interactions

$$d_{sep} = \Delta x(s) / \sigma(s)$$

$$\Delta x(s) = \alpha \cdot s \quad \text{(ftp: } \sin(\alpha) \cdot s \text{)}$$

$$\sigma(s) = \sqrt{\epsilon \cdot \beta(s)}$$

(s taken at long range encounter, i.e. multiple of half bunch distance)

with
$$\beta(s) = \beta^* \cdot \left(1 + \left(\frac{s}{\beta^*}\right)^2\right)$$

for small β^* we get $d_{sep} \approx \frac{\alpha \cdot \sqrt{\beta^*}}{\sqrt{\epsilon}} = \frac{\alpha \cdot \sqrt{\beta^*} \cdot \sqrt{\gamma}}{\sqrt{\epsilon_n}}$
(but not true after first quadrupole ...)

Comparison: head-on vs long range

• Head-on tune shift

$$\Delta Q_{ho} \propto \frac{N}{\epsilon_n}$$

• Long range tune shift

$$\Delta Q_{lr} \propto \frac{N}{d_{sep}^2} = \frac{N \cdot \epsilon_n}{\alpha^2 \cdot \beta^* \cdot \gamma}$$

• Assuming separation the same for all n_{lr} encounters:

$$\Delta Q_{lr} \propto \frac{N}{d_{sep}^2} \cdot n_{lr} = \frac{N \cdot \epsilon_n}{\alpha^2 \cdot \beta^* \cdot \gamma} \cdot n_{lr}$$

Strategy for optimization

Since:

$$\mathcal{L} \approx \frac{N_1 N_2 f n_b}{4\pi \sigma_x \sigma_y} \approx \frac{N^2 f n_b \beta^* \gamma}{4\pi \epsilon_n}$$



→ If limit is <u>head-on</u> beam-beam: increase N, increase ϵ_n , reduce β^*

Not true if limit is due to long range beam-beam

→ Better to keep ϵ_n small as long as head-on limit it not reached



Tune spread for bunches with 1, 2, 3 head-on collisions
 Observation: for large amplitude particles: tune about the same in all cases !

Head-on effects (protons only)

- But: we can lose particles only at large amplitudes !
- What happens for very strong (exact) head-on effects ?
 - For single particle models: nothing (see e.g.: L. Evans ..)
 - With self-consistent models: small and (very) slow emittance growth (see e.g.: W.Herr, T.Pieloni, J.Qiang)

When can we expect more dramatic effects?

- Unequal beams (emittance, β-beating, offsets, ...)
 External perturbations (noise, modulation, relative movement of the two beams, ...)
- Makes it difficult to analyse ...
 - Still looking, first look at the tunes ...





(Prepared by T. Pieloni BE-ABP)

→ Beam 1 tunes, fill 1410 (the short one)





(Prepared by T. Pieloni BE-ABP)

 \rightarrow Beam 2 tunes, fill 1410 (the short one)





(Prepared by T. Pieloni BE-ABP)

 \rightarrow Beam 2 tunes, fill 1420 (the good one)



(Prepared by T. Pieloni BE-ABP)



Beam losses in fill 1410

- Difficult to conclude from single "observation"
 Not observed again
- Bunch-by-bunch diagnostics would help ...
- Schottky, gated BBQ ?
- Test also effect of damper on tune spectra (switch off at end of fill ?)
- Do we maybe have already problems with long range effects ?
 - Look at present long range contribution



→ 2.00 μ m, 3.5 TeV, $\beta^* = 3.5$ m, but 25 ns



2.00 μm, 3.5 TeV, β* = 3.5 m, but 25 ns
2.00 μm, 3.5 TeV, β* = 3.5 m, but 150 ns





 \rightarrow Comparison with head-on footprint (3 collisions)

Present contribution (150 ns) very small, expect more for 50 ns spacing Expected maximum tune shift

 $\blacksquare \ \text{We had (total) head-on tune shifts} \approx 0.02$

Questions:

- What did we expect ?
- Are we at a limit ?
- **Can we expect more ?**

Expected maximum tune shift

- "Design Study of the LHC" CERN 91-03 (May 1991)
 - Prudent target: overall tune spread in collision: 0.02
 - Assumption: 0.005 from lattice at collision
 - Beam-beam: 0.015, assuming strong long range contribution
- Quote from above:

"It is possible to operate the SPS collider with 3 interaction points and ξ in the range 0.003 to 0.006. No comparable experience is available for the case of a single crossing point, but it is generally admitted that $\xi \approx \Delta \mathbf{Q}$ could reach 0.01"

Expected maximum tune shift (cont.)

- *"Beam-beam effects in the SPS collider"* Beam-beam workshop LHC99, CERN-SL-99-039-AP (1999)
- Quote from above:

"In the first collider runs, the SPS was operated with 3 p against 3 \bar{p} bunches. In this configuration total tune shifts of 0.028 were <u>sometimes</u> obtained but \bar{p} life times at the beginning of a coast were poor."

Standard operation was with 0.02, (in the presence of 3 head-on and 9 long range encounters: never reached much more again)

Can we do more ?

Certainly



Should try to push head-on tune shift further, find a limit for N and ϵ_n

Summary I

- Losses in fill 1410 difficult to explain, bunch-by-bunch diagnostics necessary
- Schottky highly desirable, gated BBQ ?
- Keep the (transverse) emittance small, it helps everywhere
- More bunches (and maybe smaller β^*) increase long range

Summary II

- Should try with 50 ns spacing (with minimum 24 bunches per train, 12 bunches cannot give meaningful information)
- **(Some)** proposed tests with 50 ns spacing:
 - Scan separation in IP1 and IP5 (if possible: simultaneously and separately)
 - > Try separation in IP8 for luminosity levelling (all other IPs present, 50 ns spacing)
 - Go into collision separately